

Generic DPA attacks: curse or blessing?


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Original MIA

- Consider an sbox output $\mathbf{Z} = S(\mathbf{P} \oplus k)$
- In a typical DPA attack, we compare measurements vs. predictions

$$\mathbf{O} = \mathbf{L}_{\text{device}}(\mathbf{Z}) \quad \mathbf{H} = \mathbf{L}_{\text{model}}(\mathbf{Z})$$


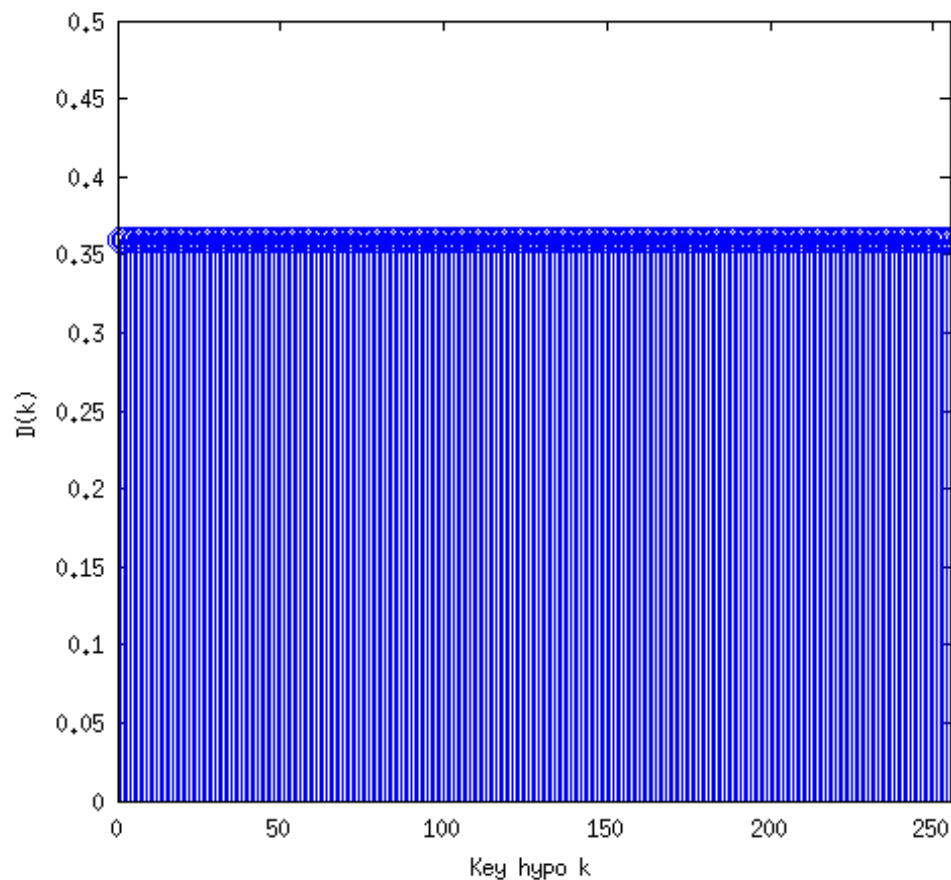
The diagram shows two blue arrows pointing downwards from the variables \mathbf{O} and \mathbf{H} in the equations above to the variable $I(\mathbf{O}; \mathbf{H})$ in the equation below.

$$I(\mathbf{O}; \mathbf{H})$$

- Nice point of generic DPA attacks: we can skip the modeling: $\mathbf{H} = \text{Id}(\mathbf{Z})$

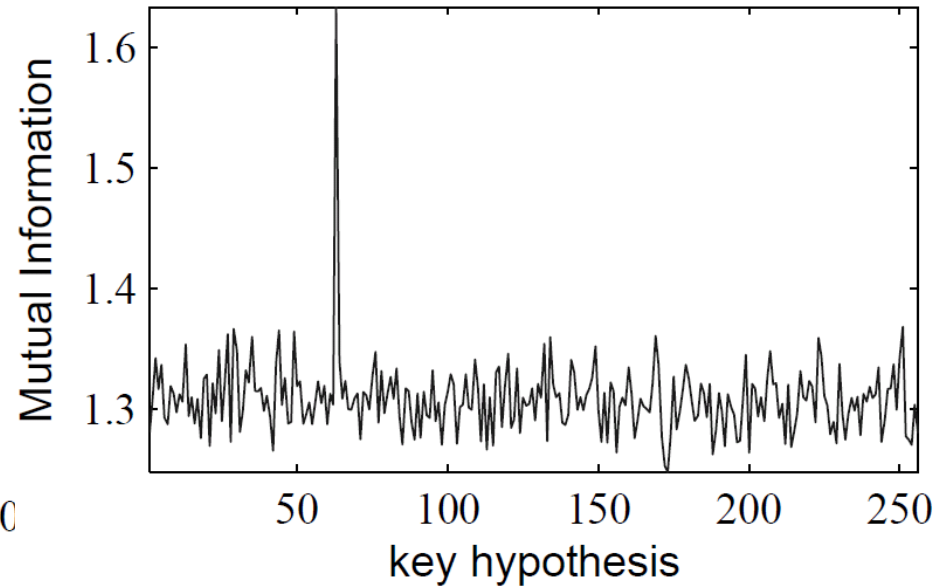
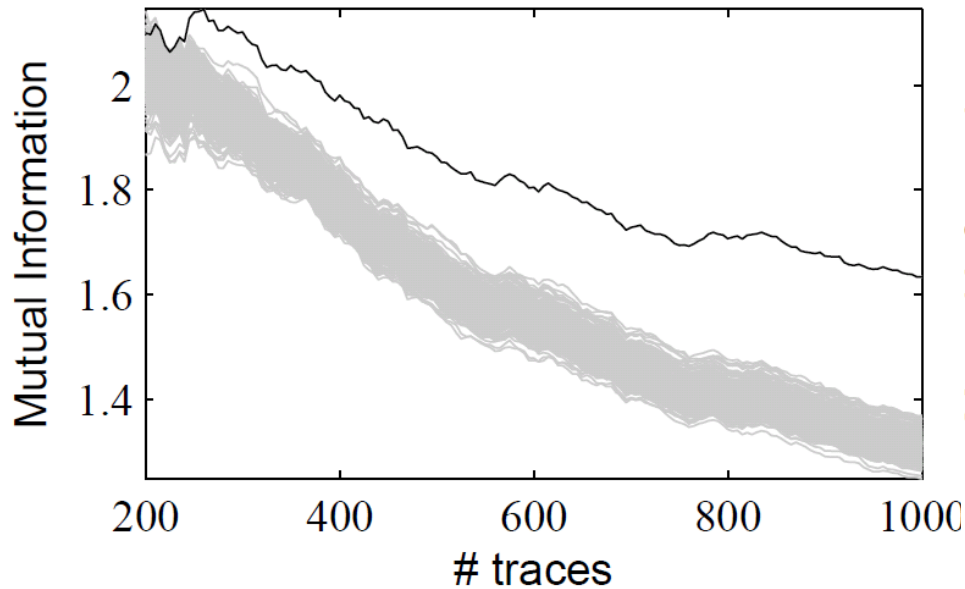
Injective targets with model skipped

$H = \text{Id}(Z)$ AES Key addiiton, AES Sbox output



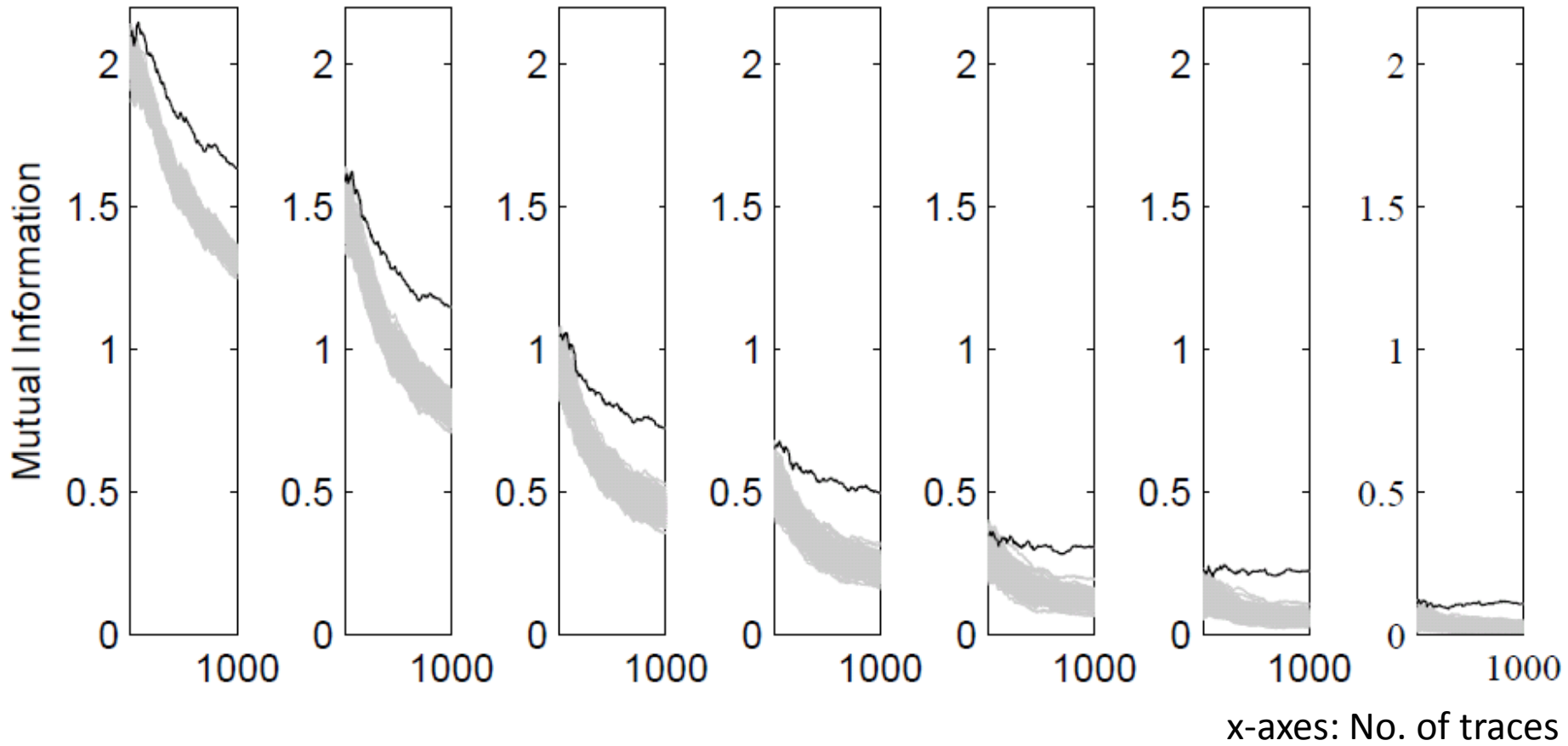
Disappointment: cannot distinguish the correct key hypothesis!

First solution: drop a bit on predictions

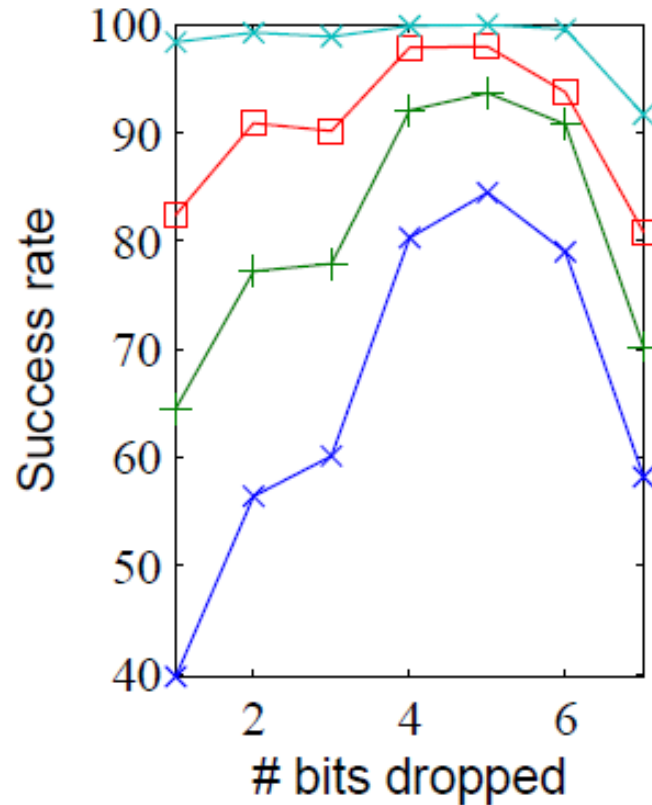


- Break the injectivity by dropping one bit on the predictions $\mathbf{H} = \text{drop}_1(\mathbf{Z})$
- Experiments on 8-bit uC

Dropping 1, 2,..., 7 bits



How many bits to drop?

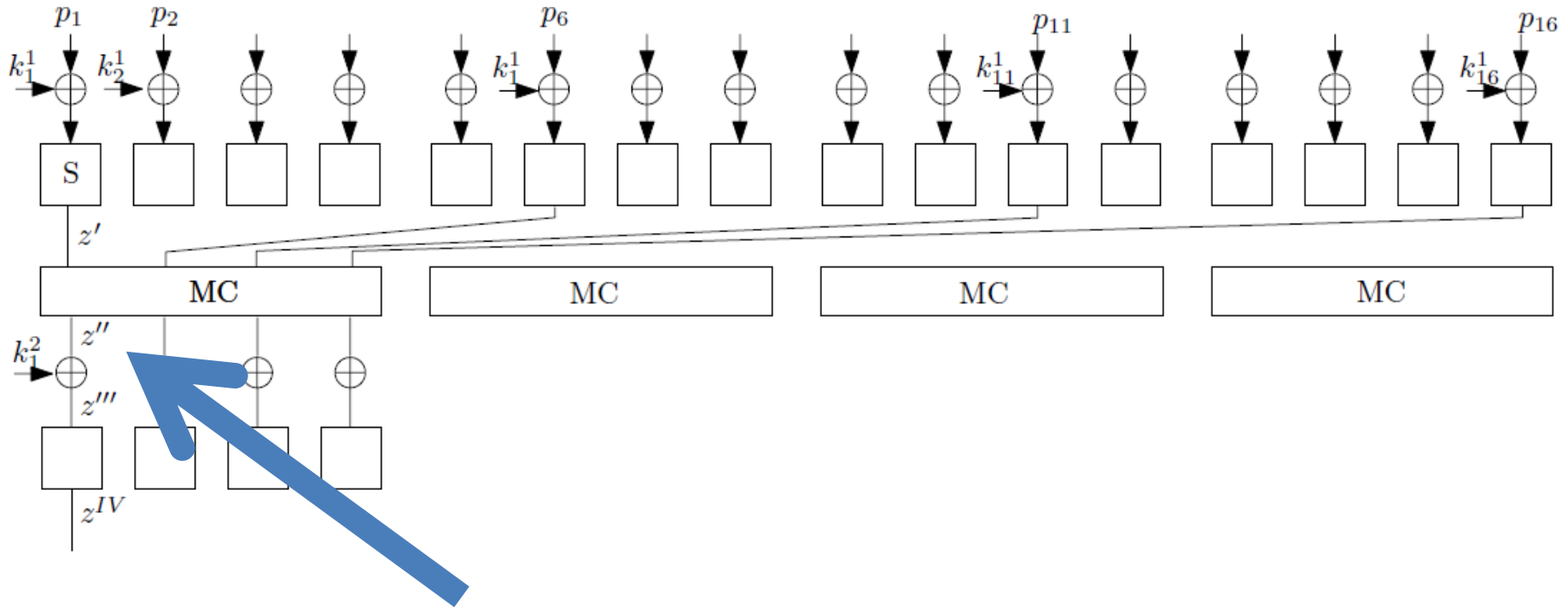


For details, see the paper. Each line on the left indicates a fixed budget for number of traces.

We can see that dropping 5 bits consistently leads to best success rate, for any given (fixed) number of traces.

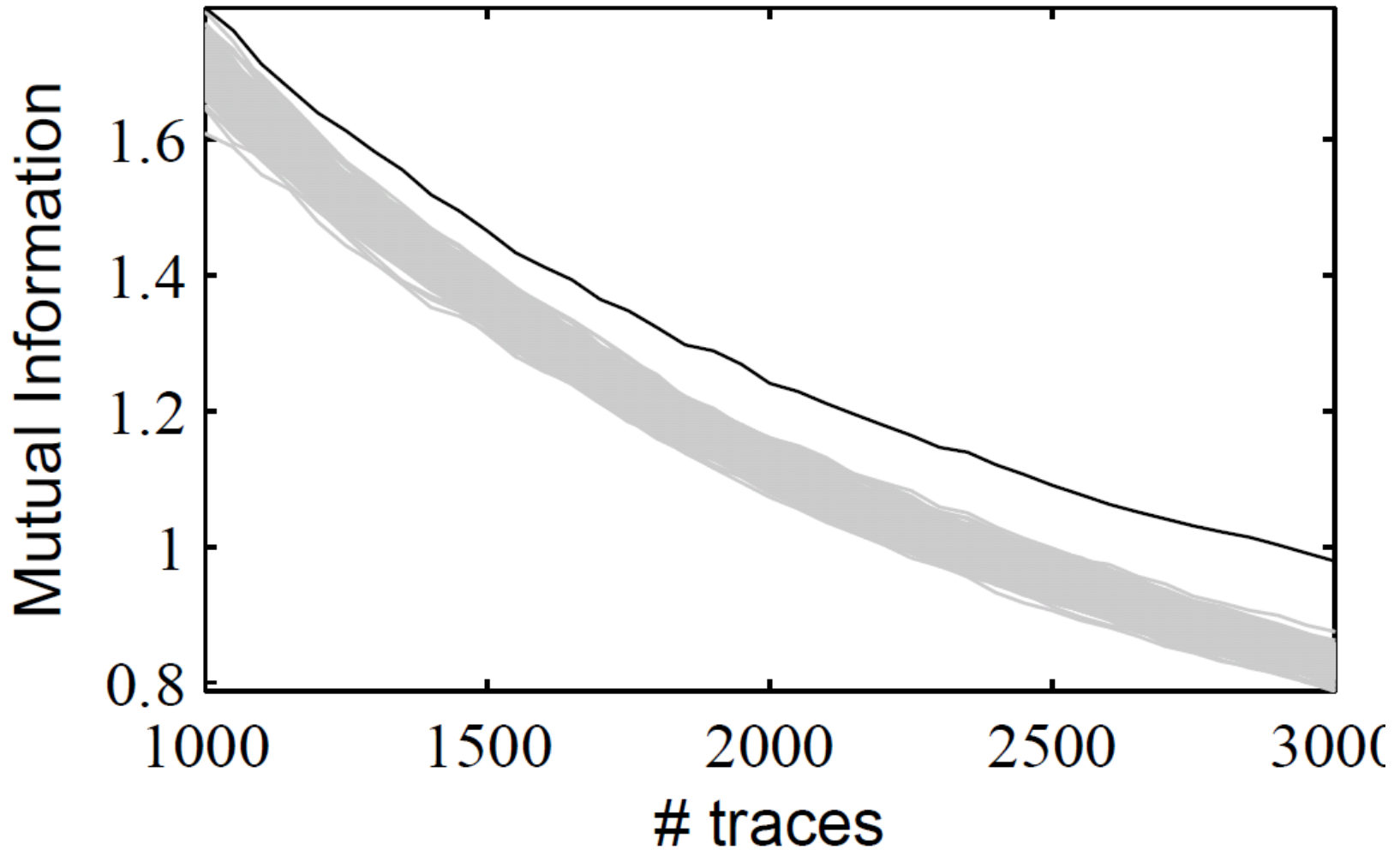
- Messerges said that predicting 3 out of 8 bits gave the best tradeoff between information and throwing away traces
- (we assume all bits leak similarly)

Second way: find non-injective targets

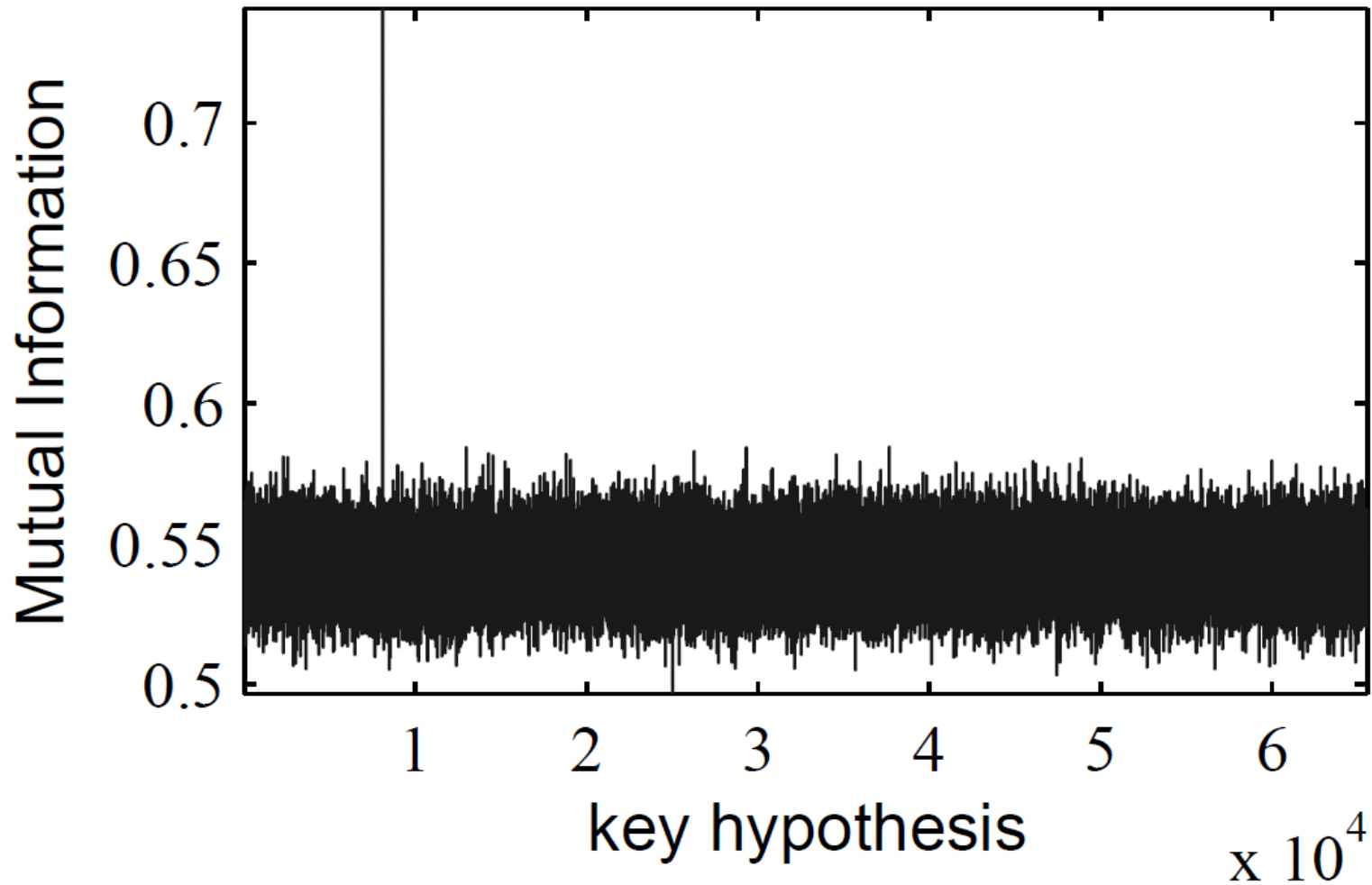


- The attacker has plenty of options to target

Attacking MixColumns in our device

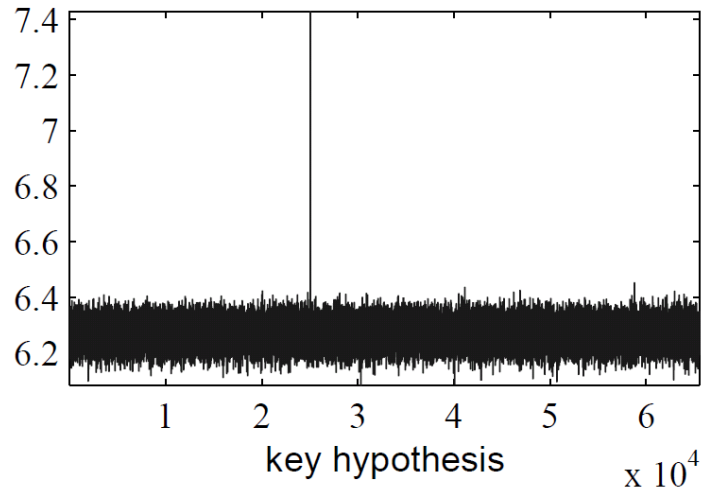


There are no equivalent keys

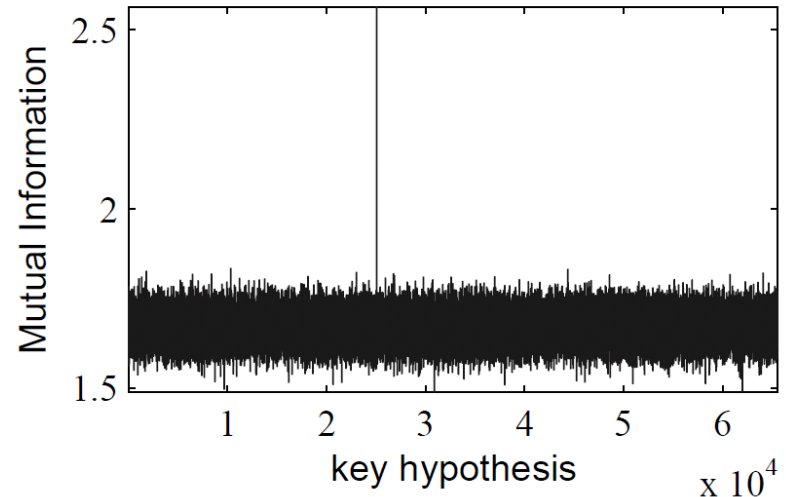


Arbitrary leakage functions

$$L_{\text{device}} = S_{\text{AES}}$$

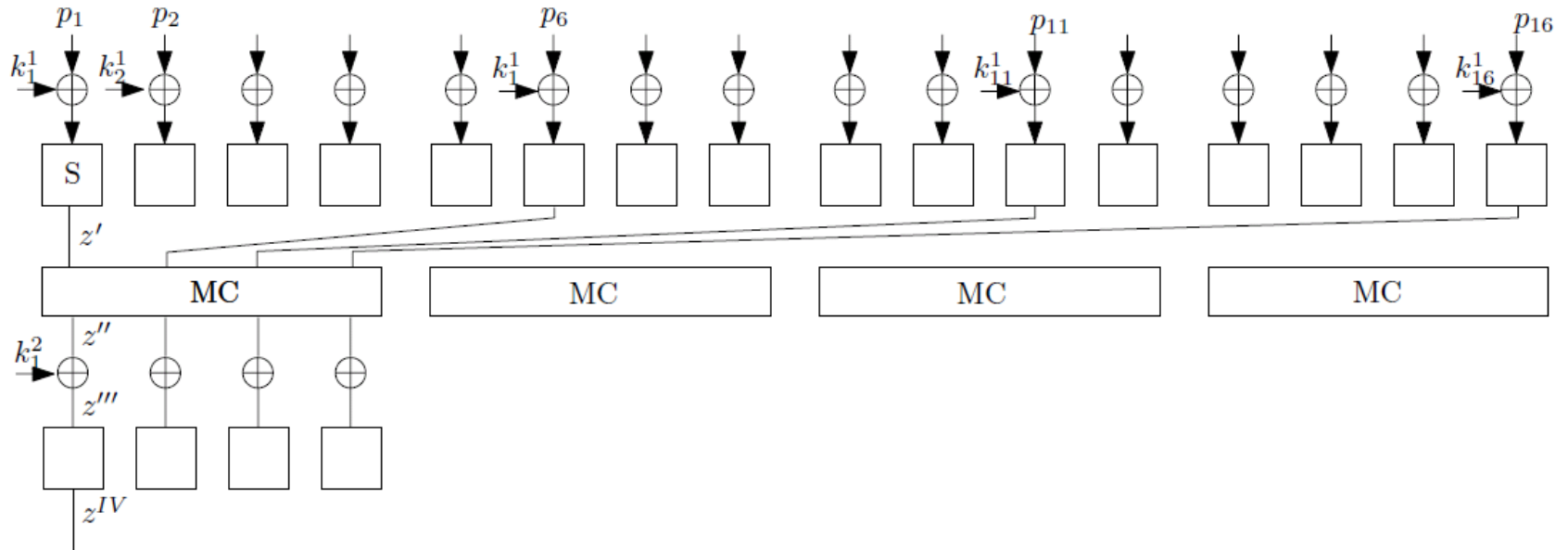


$$L_{\text{device}} = \text{HW}(S_{\text{AES}})$$

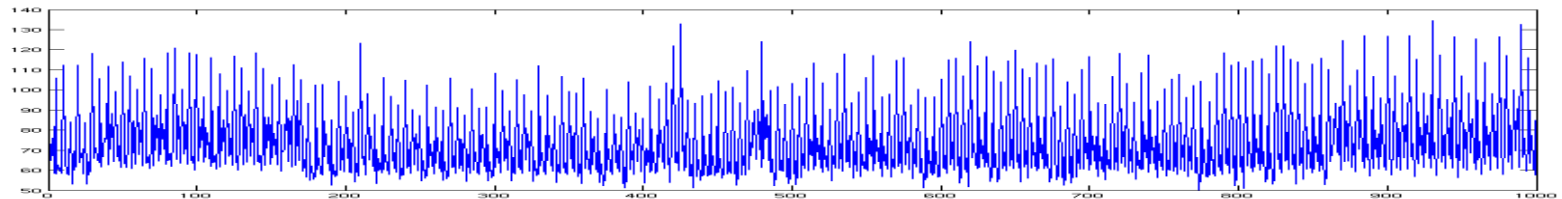


Bit-drop trick didn't work if L_{device} is very nonlinear
On the other hand, attacking after MixColumns works
even if we use a sophisticated bus scrambling
mechanism

Leakage from further rounds



- If first round is masked --> exploit leakage z^{IV} (second round) and get keys from first round



- Condition for the generic attack to succeed:

$$I(\mathbf{Z}; \mathbb{E}_{\mathbf{N}}[\mathbf{L}_{\text{device}}(\mathbf{Z}, \mathbf{N})]) > 0.$$

Conclusions

- Generic attacks are endowed with two-sided properties – curse or blessing depending on the particular situation!
- More:

<http://www.esat.kuleuven.be/~oreparaz/curseorblessing/>