

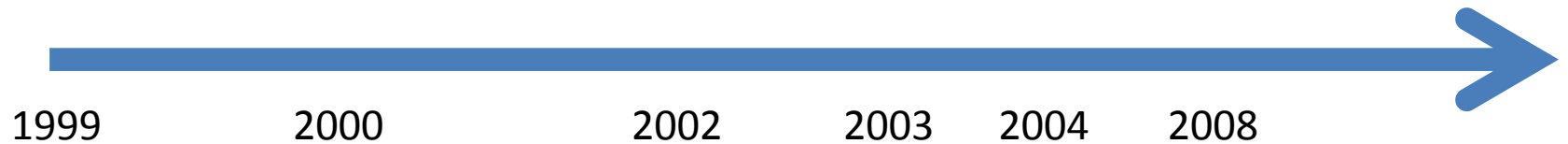
# **A note on the comparison of distinguishers**

Oscar Reparaz, Benedikt Gierlichs,  
Ingrid Verbauwhede

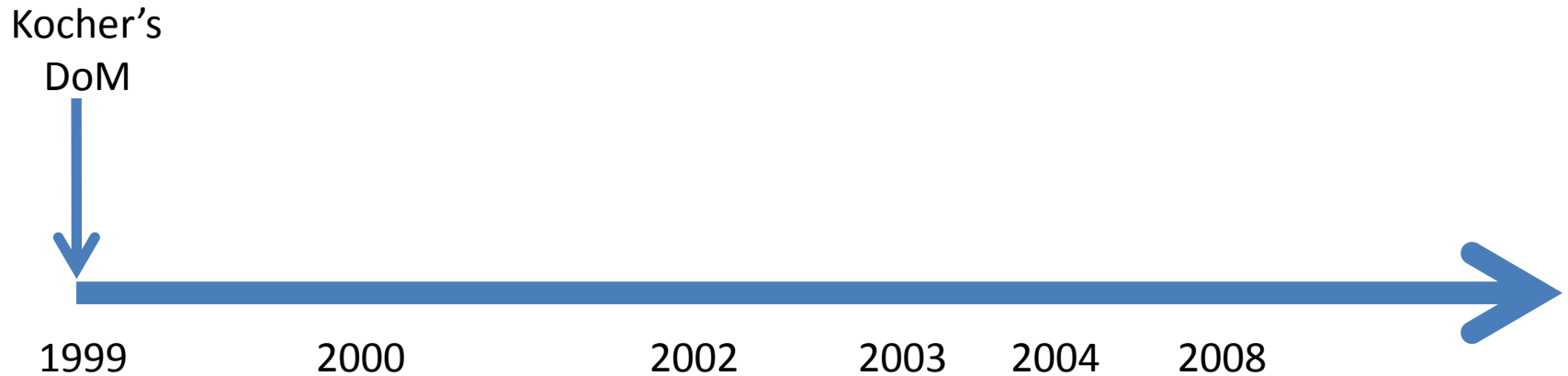
COSIC/KU Leuven

COSADE 2014, Paris

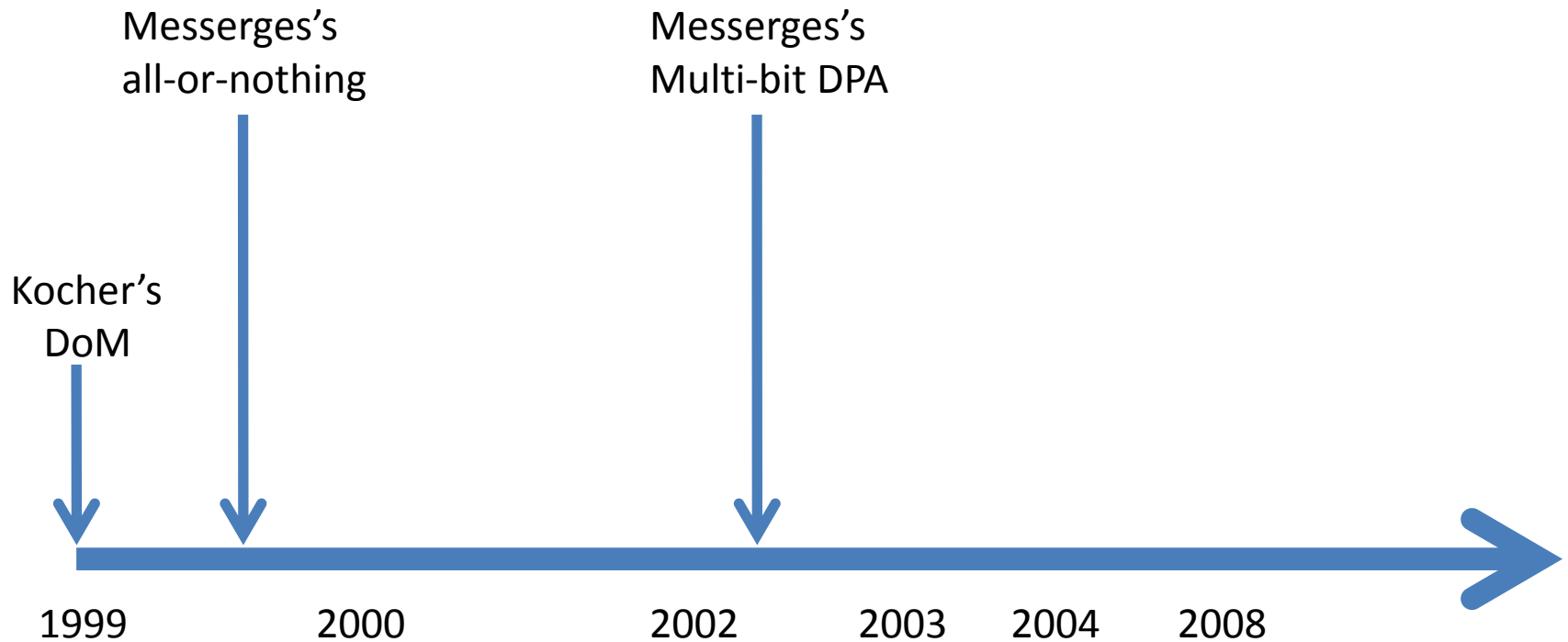
# A jungle of distinguishers



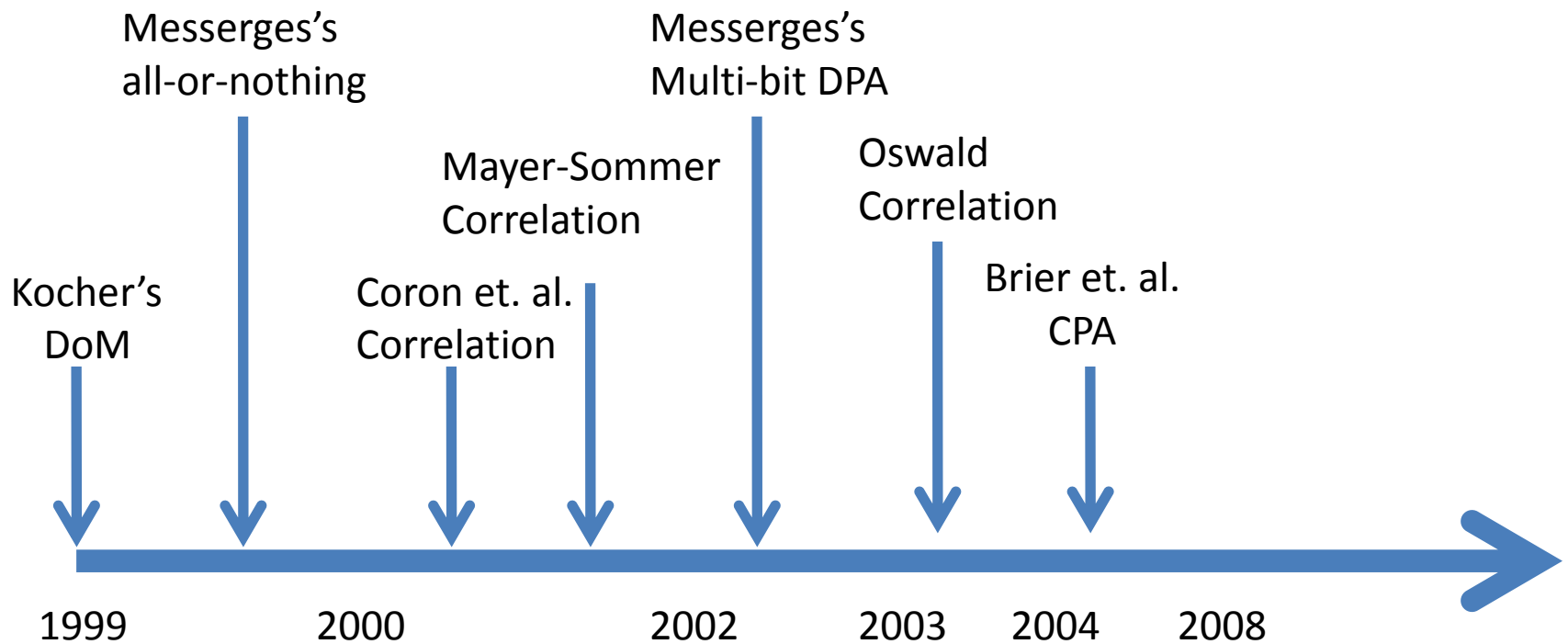
# A jungle of distinguishers



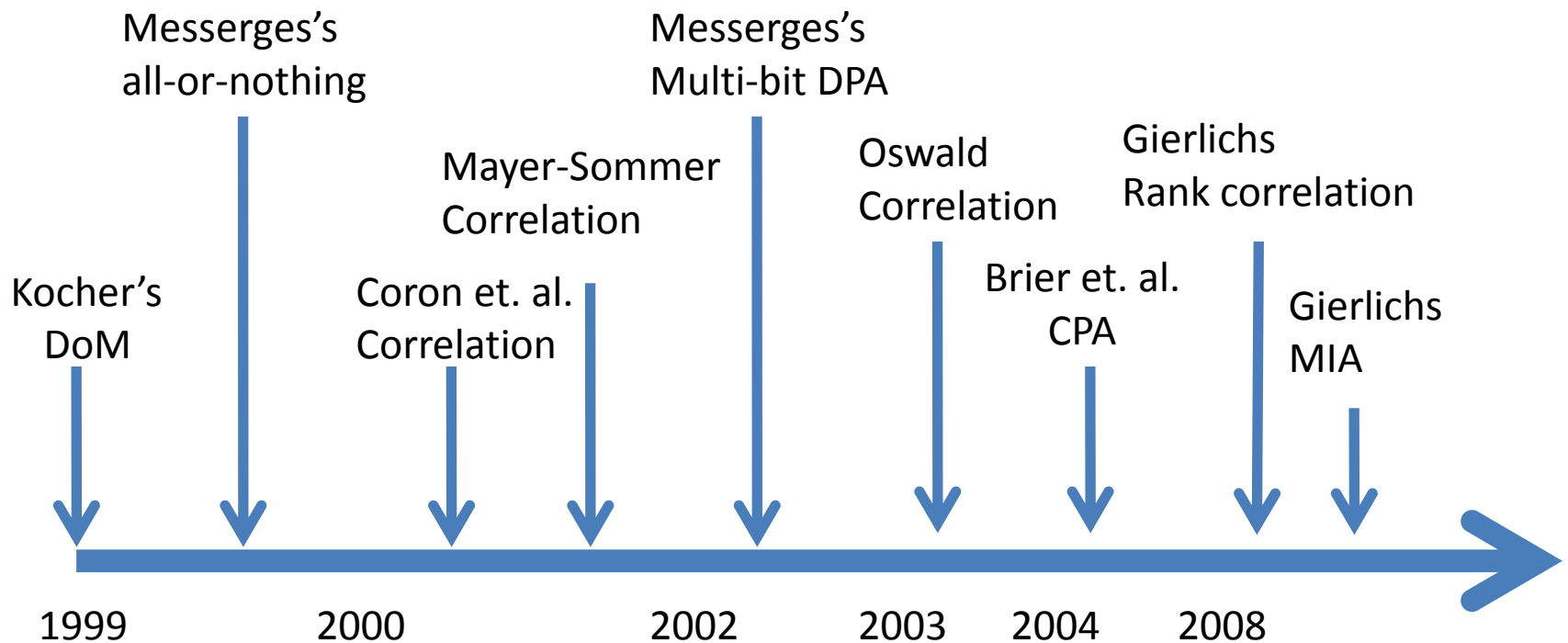
# A jungle of distinguishers



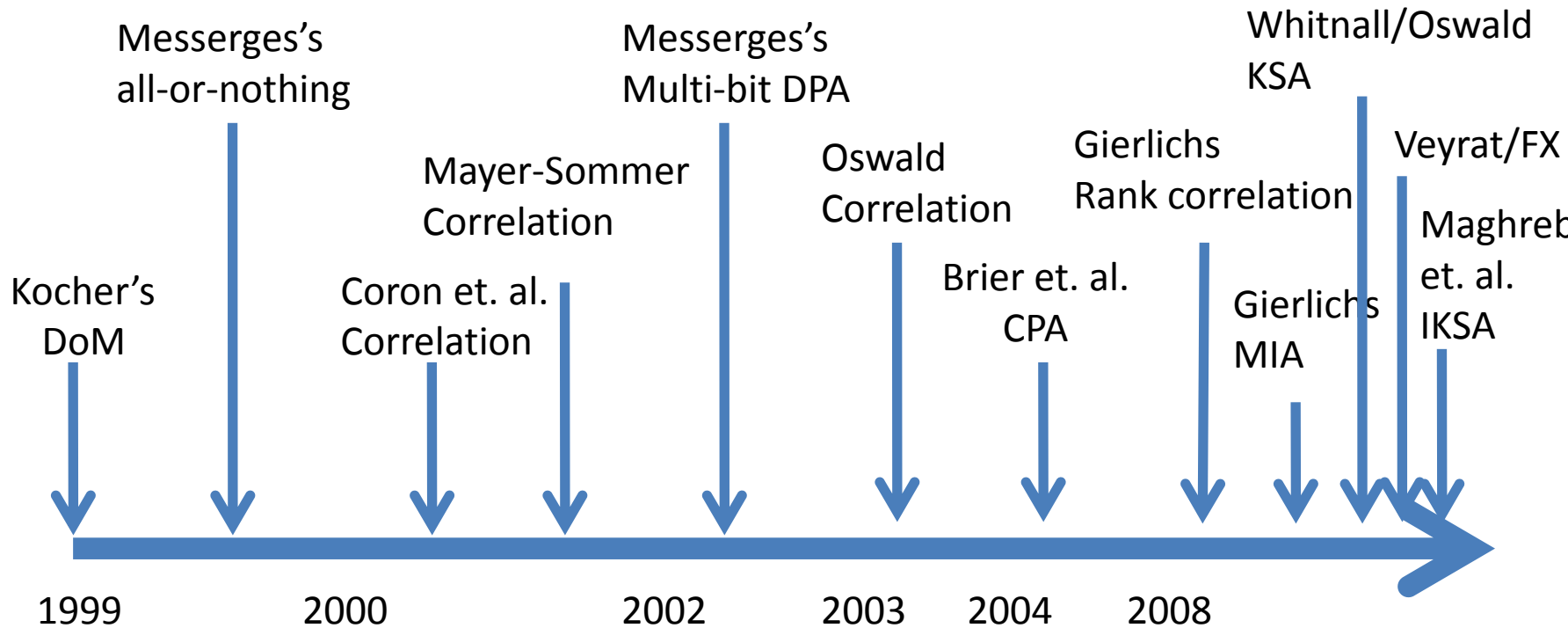
# A jungle of distinguishers



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# A jungle of distinguishers



# One for All - All for One: Unifying Standard DPA Attacks

Stefan Mangard<sup>1</sup>, Elisabeth Oswald<sup>2</sup>, François-Xavier Standaert<sup>3\*</sup>

- Success rates

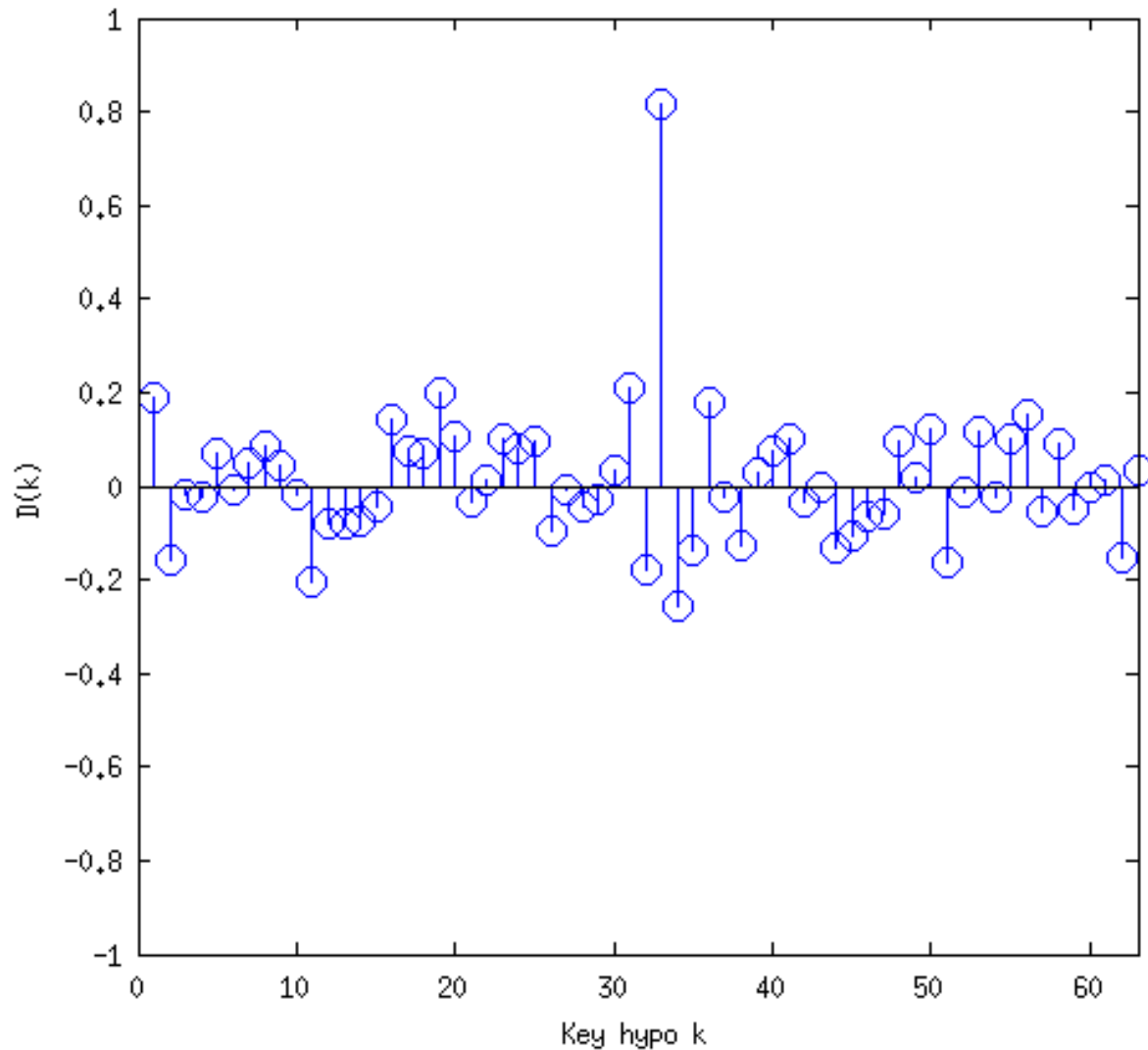


# **A fair evaluation framework for comparing side-channel distinguishers**

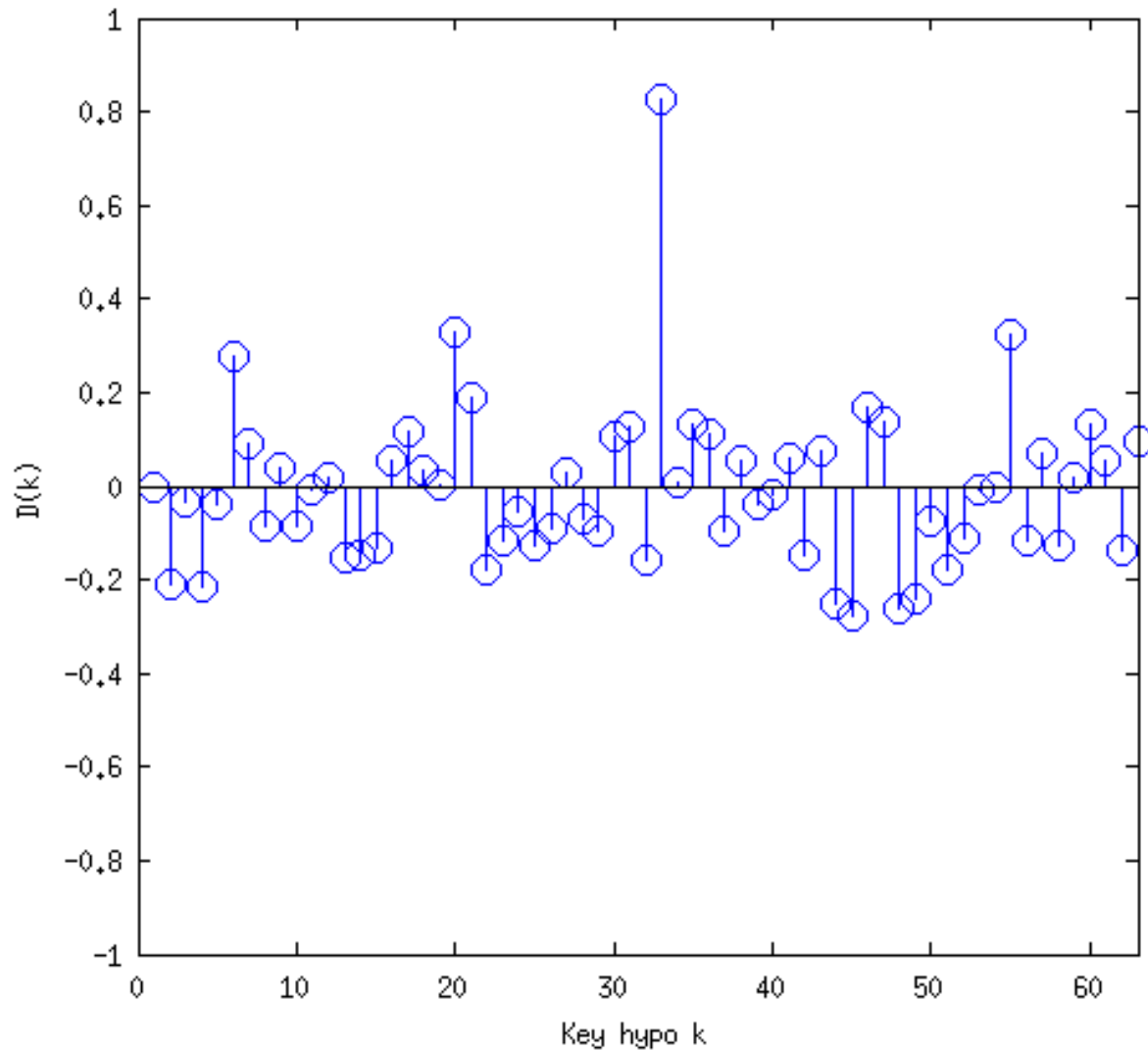
**Carolyn Whitnall · Elisabeth Oswald**

- Introduces (theoretical) distinguishing margins

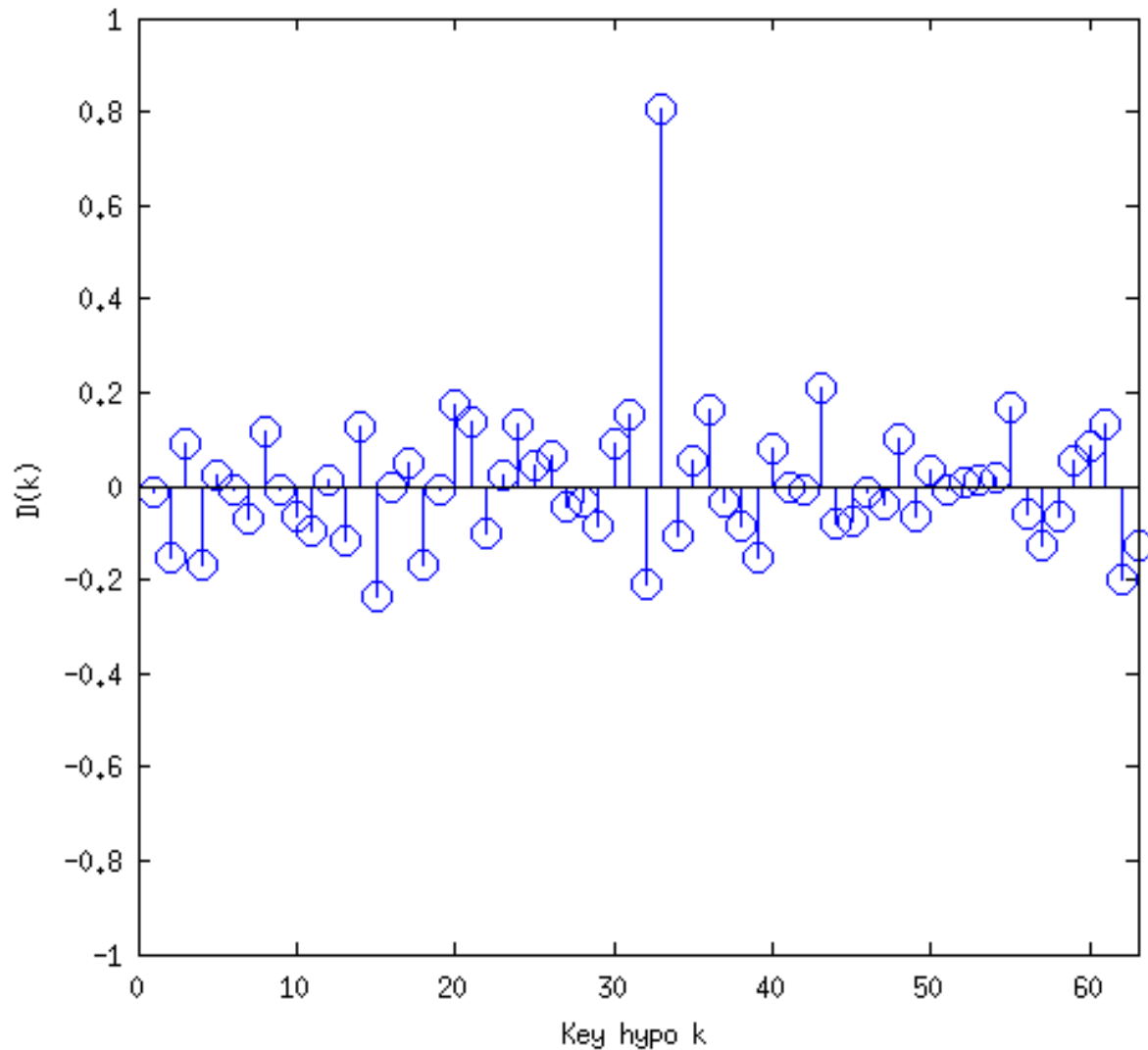
# Definitions: distinguishing vector



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# Definitions: success rate, relative margins

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- Success rates
  - Repeat the experiment, count how many successful

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- Success rates
  - Repeat the experiment, count how many successful
- Distinguishing margins
  - Normalized “distance” between correct key hypo and nearest rival

$$\text{RelMargin}(D) = \frac{D(k^*) - \max [D(k) | k \neq k^*]}{\text{std}(D)}$$

# Comparison success rates vs. distinguishing margins



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## Success rates

- + Can be empirically computed quite easily
- + Easy interpretation

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## Distinguishing margins

- + Can be (easily) computed in a theoretic way for many distinguishers (thereby circumventing estimation issues)
- - should not be taken as the sole metric

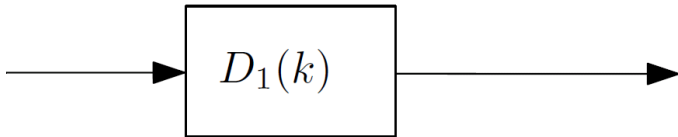
# Distinguisher 1

- Absolute value of DoM

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$$D_1(k) = \left| \hat{\mathbf{E}}(T|L(Z_k) = 1) - \hat{\mathbf{E}}(T|L(Z_k) = 0) \right|$$





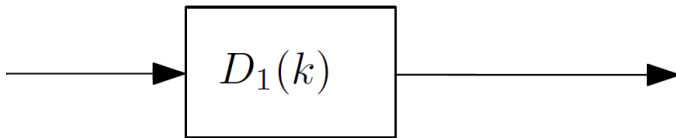
# Distinguisher 1

- Absolute value of DoM

# Distinguisher 2

- Absolute value of DoM, squared

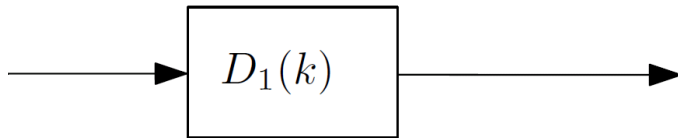
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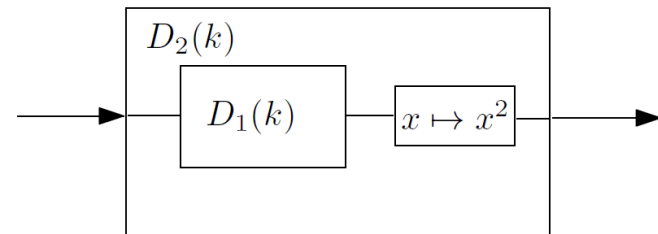
$$D_1(k) = \left| \hat{\mathbf{E}}(T|L(Z_k) = 1) - \hat{\mathbf{E}}(T|L(Z_k) = 0) \right|$$



# Distinguisher 2

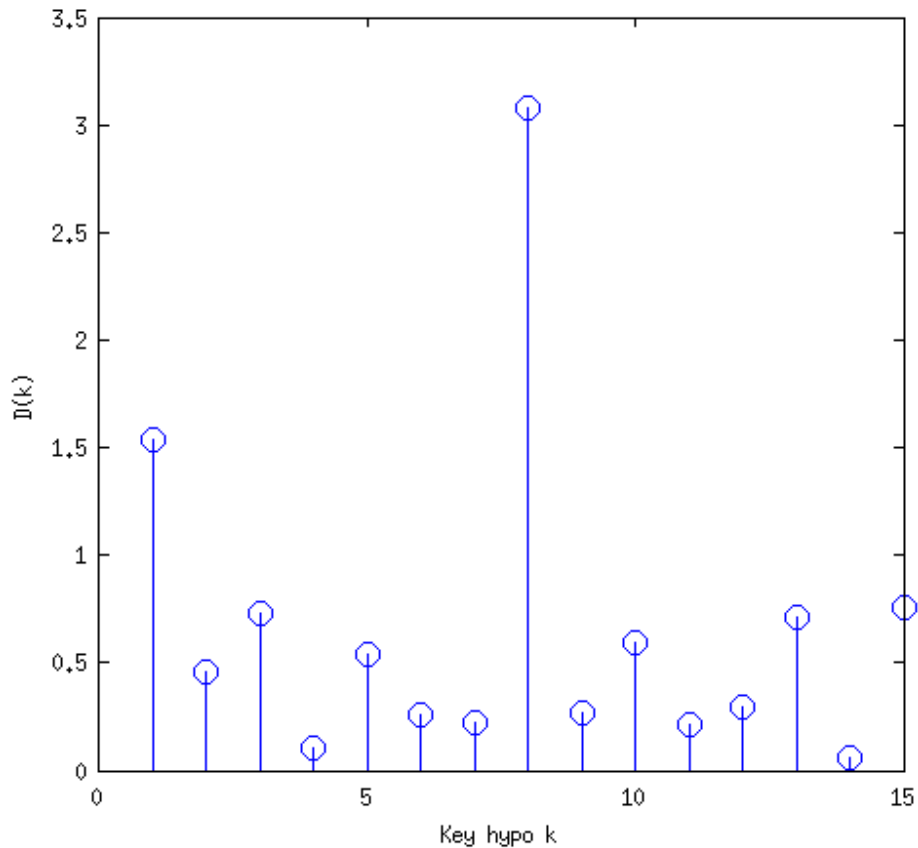
- Absolute value of DoM, squared

$$\begin{aligned} D_2(k) &= [D_1(k)]^2 \\ &= \left| \hat{\mathbf{E}}(T|L(Z_k) = 1) - \hat{\mathbf{E}}(T|L(Z_k) = 0) \right|^2 \end{aligned}$$

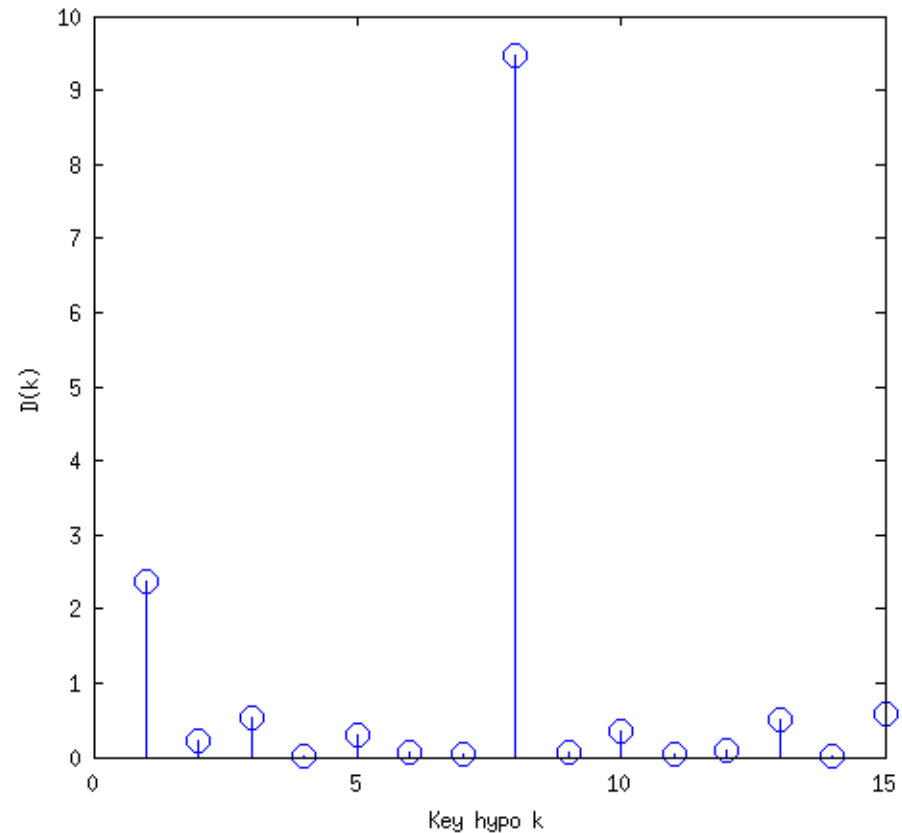
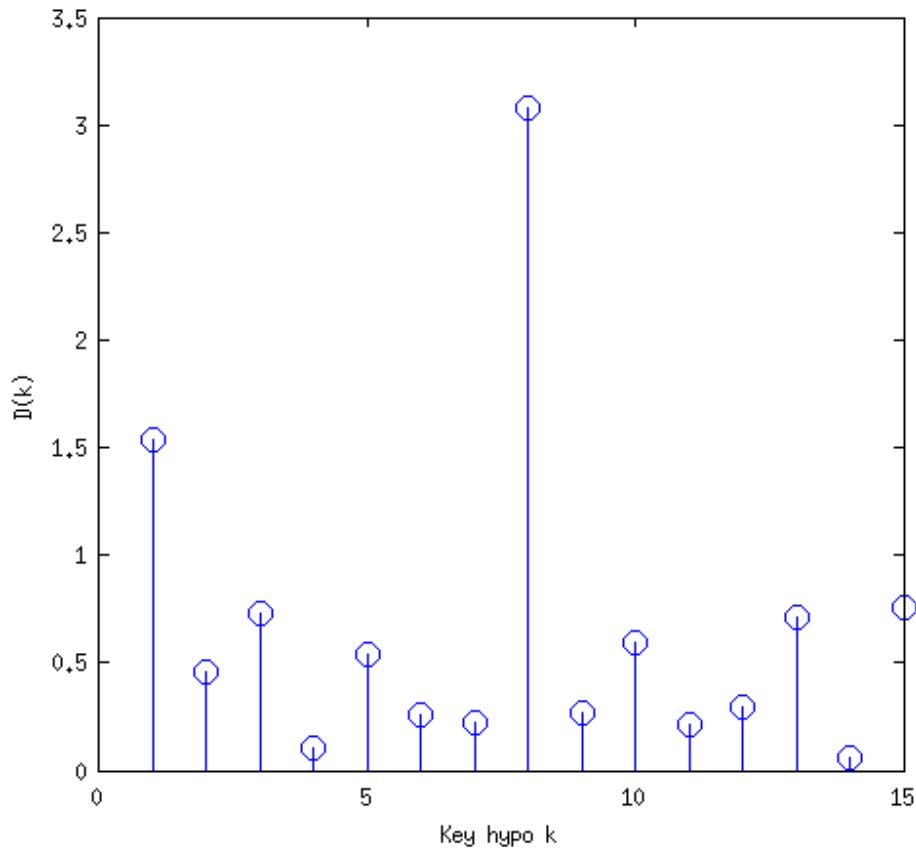


# Distinguishing vectors for distinguisher 1 and 2

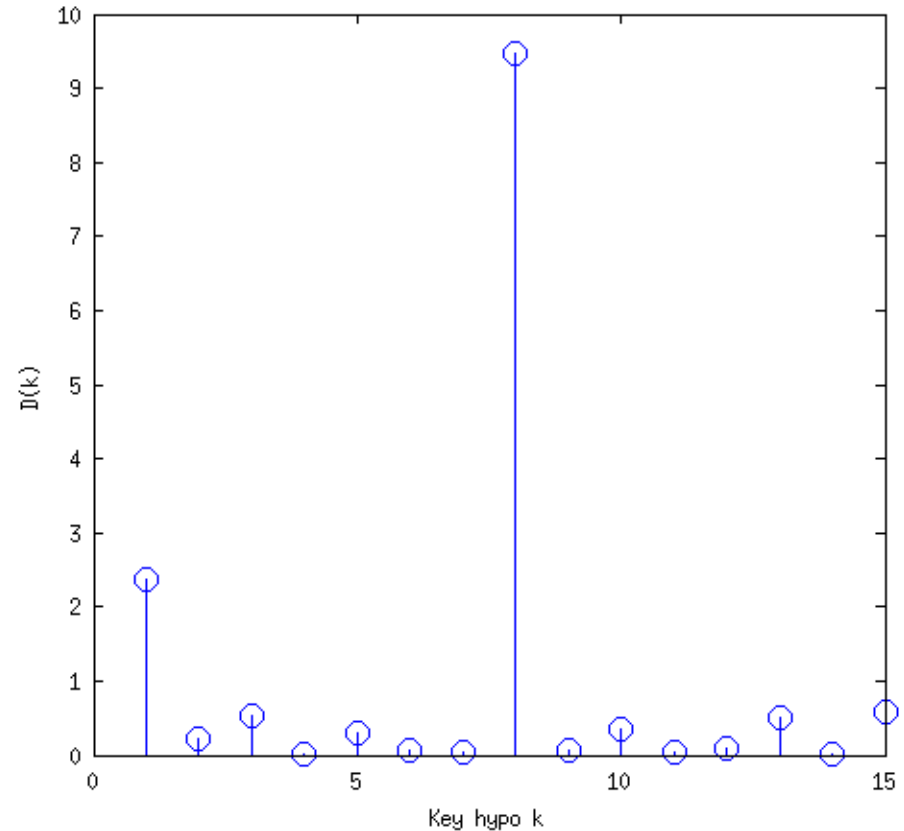
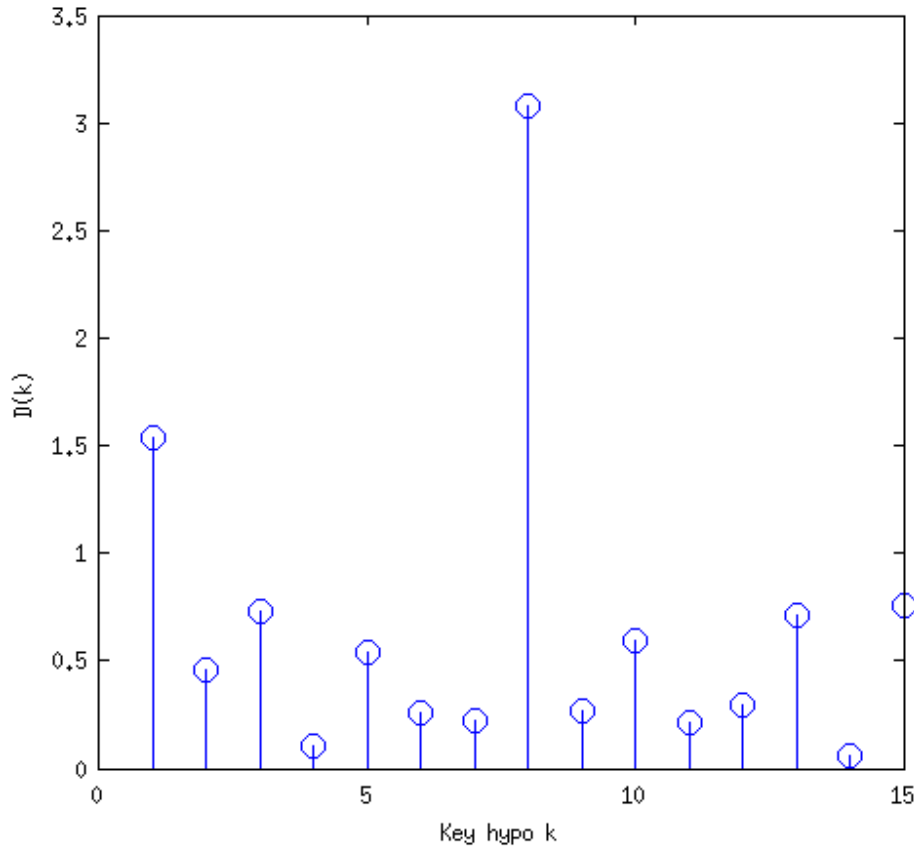
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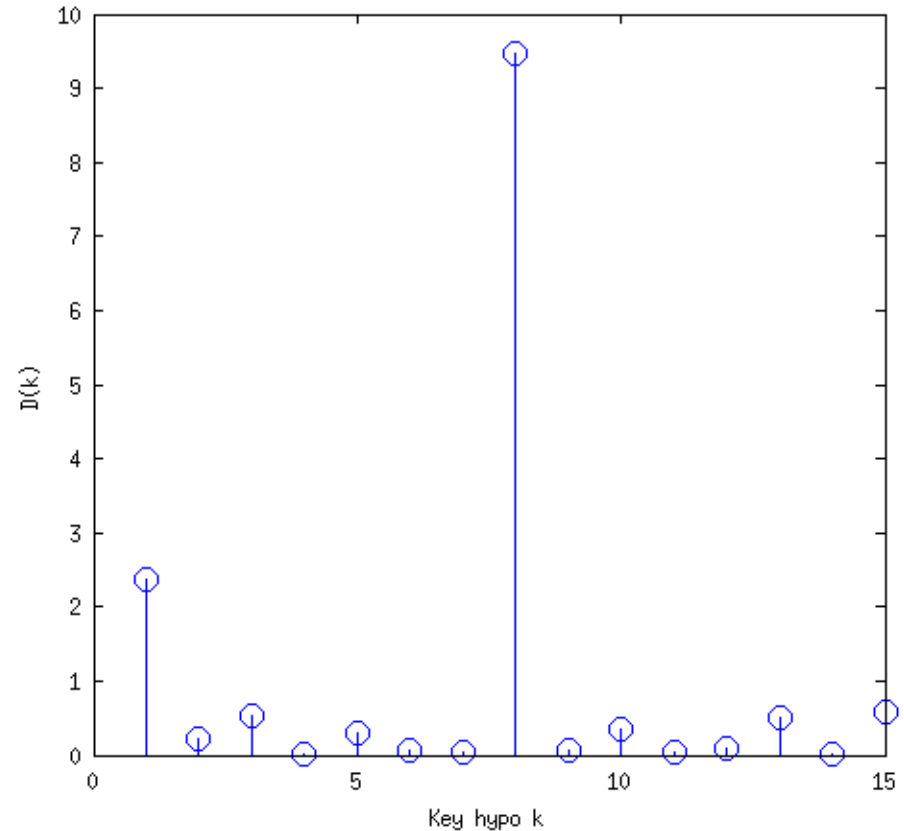
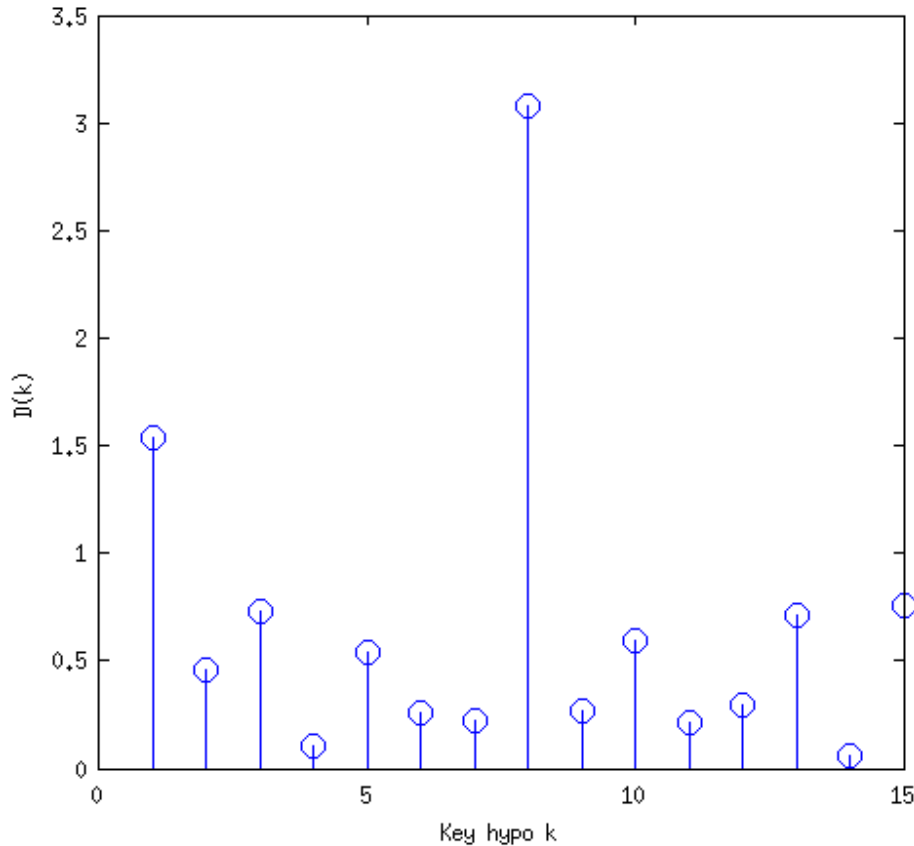


# Distinguishing vectors for distinguisher 1 and 2



Order preserved  $\rightarrow$  same success rate

# Distinguishing vectors for distinguisher 1 and 2

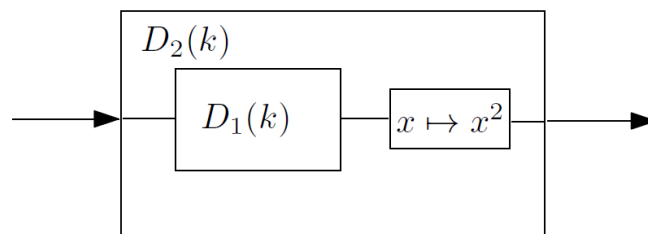
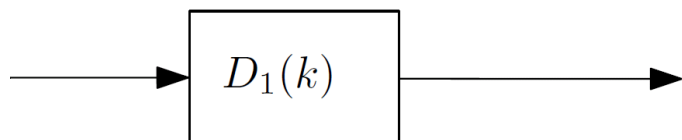


**RelMargin(D1) = 0.25  $\neq$  RelMargin(D2) = 0.51**

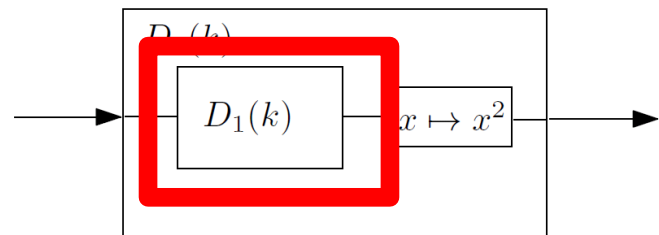
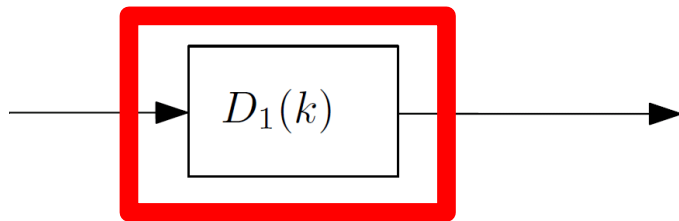
# A different D1 box



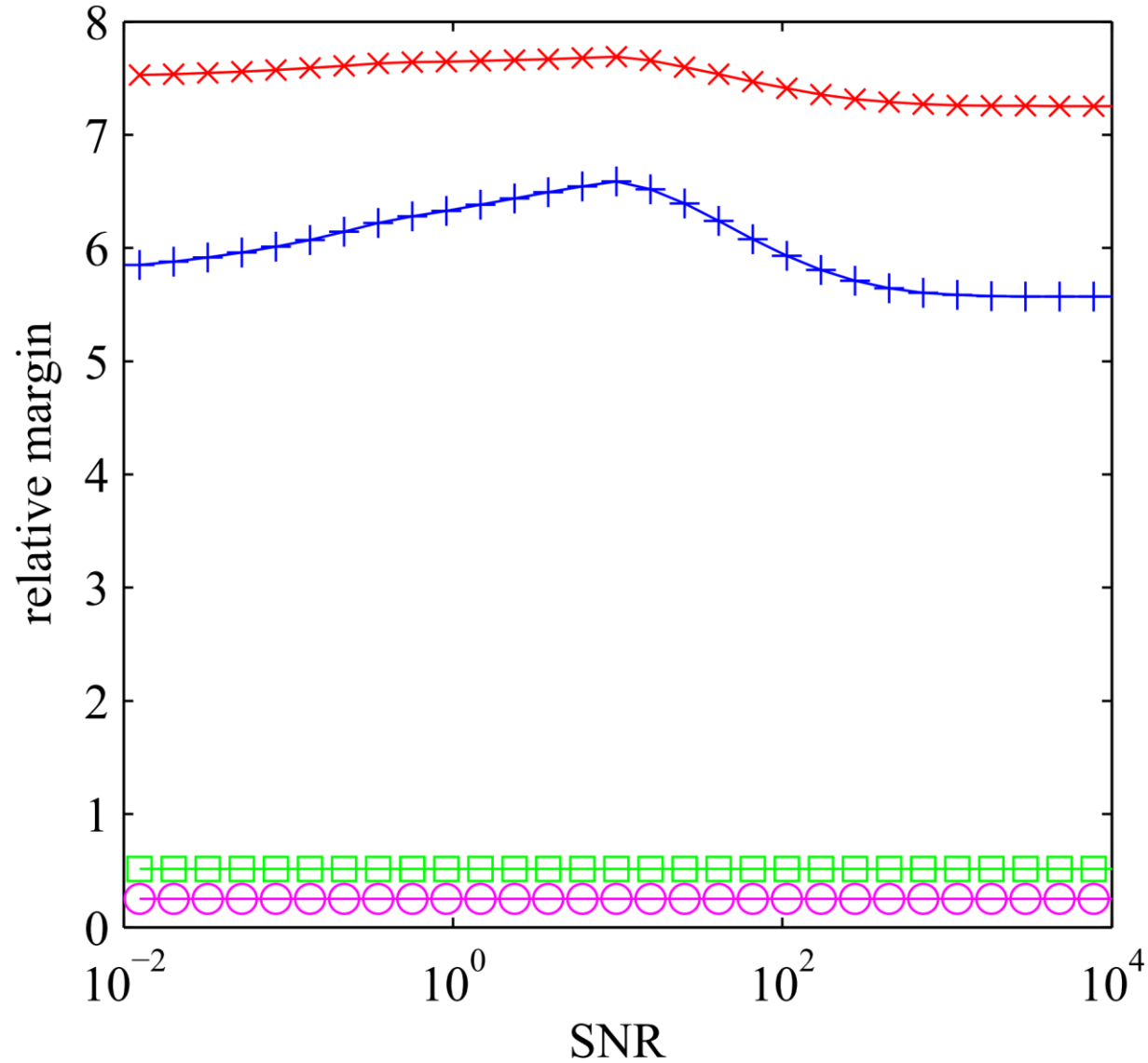
# A different D1 box



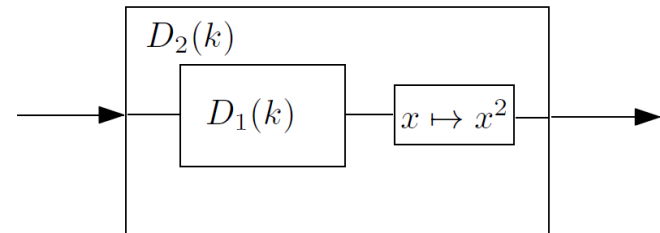
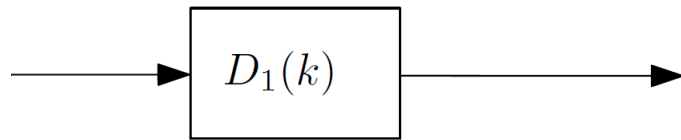
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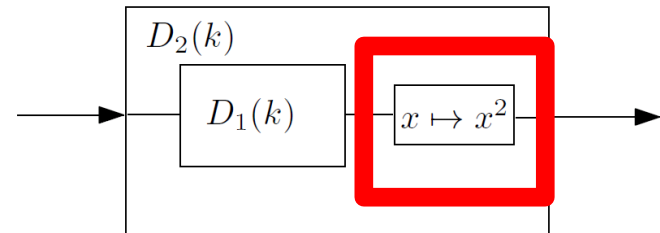
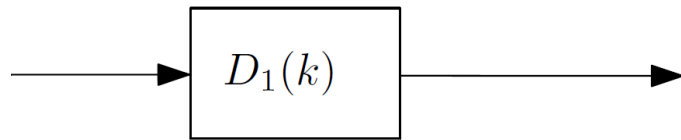
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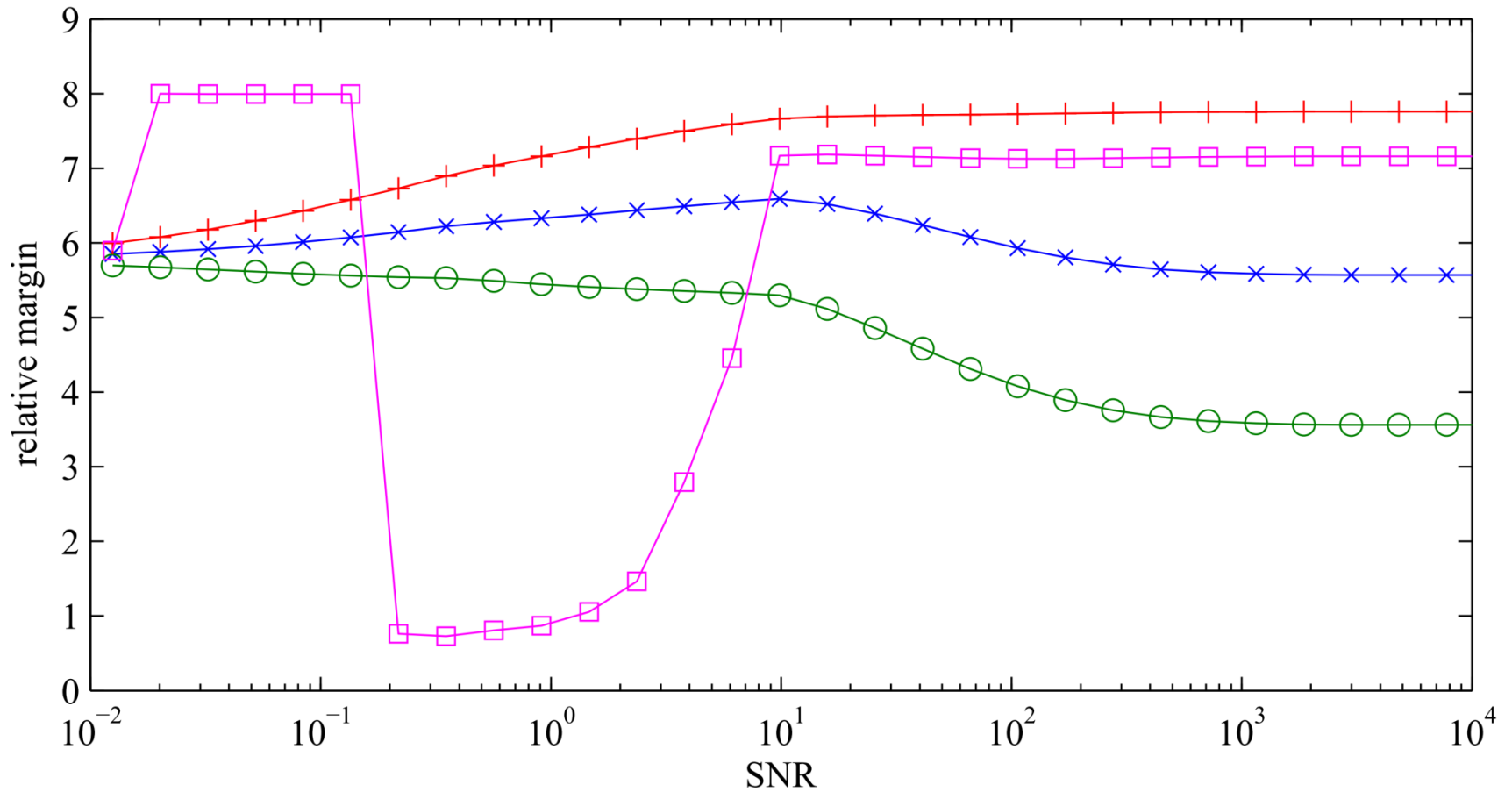
# Different transformation functions



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# Conclusion

- No one-fits-all solution
- Nice theoretical properties, but sometimes *too* theoretical